

page 1: Ex1 A 13 B 0; C 13; D {1,2,3,4,6,8,12,16,24,32,48,96} i.e. there are 12 factors of 96
 E \aleph_0 or infinite; F 5 G not well defined H 13; I 5; J \aleph_0 or infinite

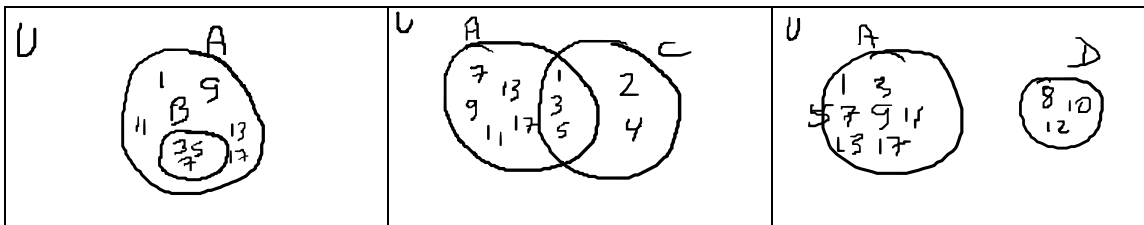
2. There are no equal sets in the list provided.
3. The following are equivalent: A, C and H have same cardinality 13; F and I both have 5 elements, and E and J are both infinite – which may or may not be equivalent ☺
4. all are finite except E and J

page 2-3: 1a. {1,2,3,4,5,6} 6 b. {HH, HT, TH, TT} 4 c. X = neither red nor blue, R= Red, B = Blue. {RB, BR, BX, XB, XX} there are 5 possibilities d. {MM, MF, FM, FF} 4
 e. {G1, G2, G3, R4, R5, R6, B7} 7 f. {HHH, HHT, HTH, THH, HTT, THT, TTH, TTT} 8
 g. {(1,1) (1,2) (1,3) (1,4) (1,5) (1,6) (2,1) (2,2) (2,3) (2,4) (2,5) (2,6) (3,1) (3,2) (3,3) (3,4) (3,5) (3,6) (4,1) (4,2) (4,3) (4,4) (4,5) (4,6) (5,1) (5,2) (5,3) (5,4) (5,5) (5,6) (6,1) (6,2) (6,3) (6,4) (6,5) (6,6)} there are 36 distinct possibilities
 h. {2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, } there are 12 elements in the set

page 4: 1a $B \subseteq A$;

b. A & C overlap;

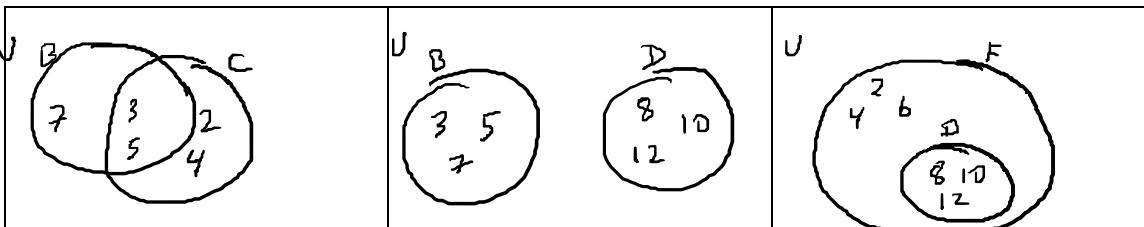
c. A & D are disjoint



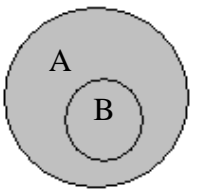
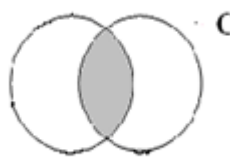
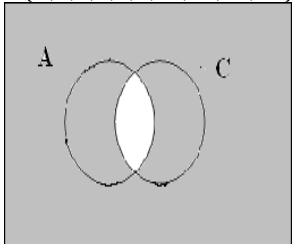
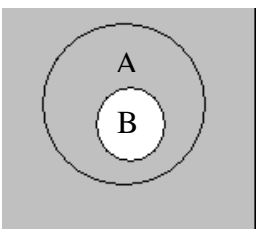
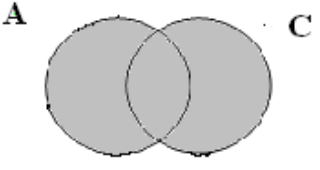
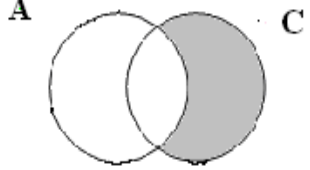
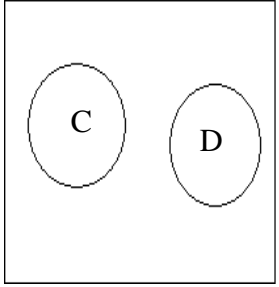
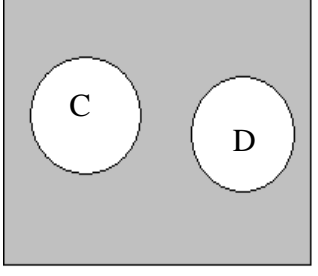
d. B & C are overlapping;

e. B&D are disjoint;

f. $D \subseteq F$



page 7: Exercise 1.

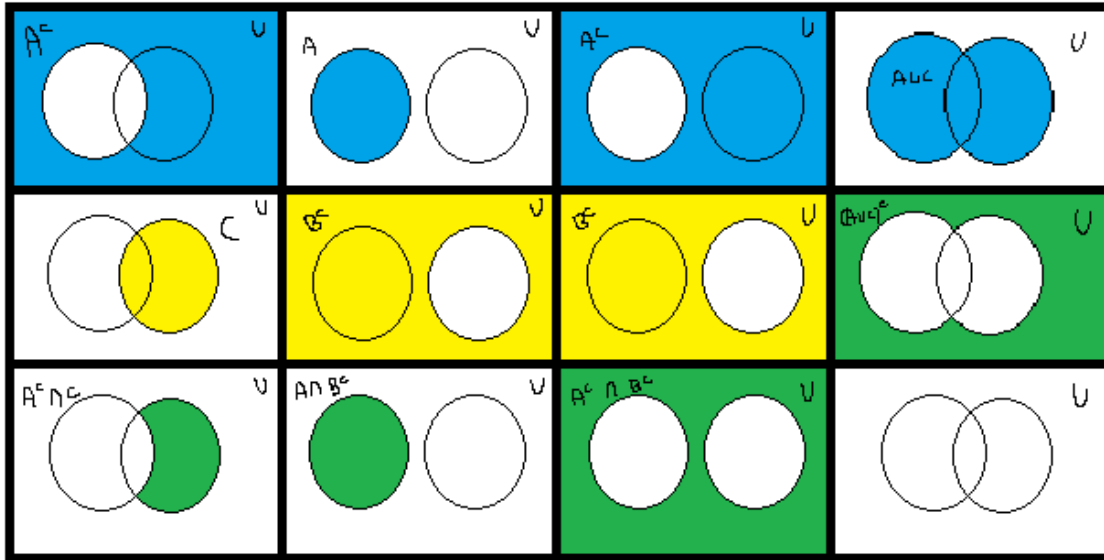
<p>a $A \cup B = \{1,3,5,7,9,11,13\}$</p> 	<p>b. $A \cap C = \{1,3,5\}$</p> 	<p>c $\{2,4,6,7,8,9,10,11,12,13\}$</p> 	<p>d $\{1,2,4,6,8,9,10,11,12,13\}$</p> 
<p>e $\{1,2,3,4,5,7,9,11,13\}$</p> 	<p>f $\{2,4\}$</p> 	<p>g $\{\}$</p> 	<p>h $\{6,7,9,11,13\}$</p> 

a) $A^c \cap C$

b) $A \cap B^c$

c) $A^c \cap B^c$

d) $(A \cup C)^c$

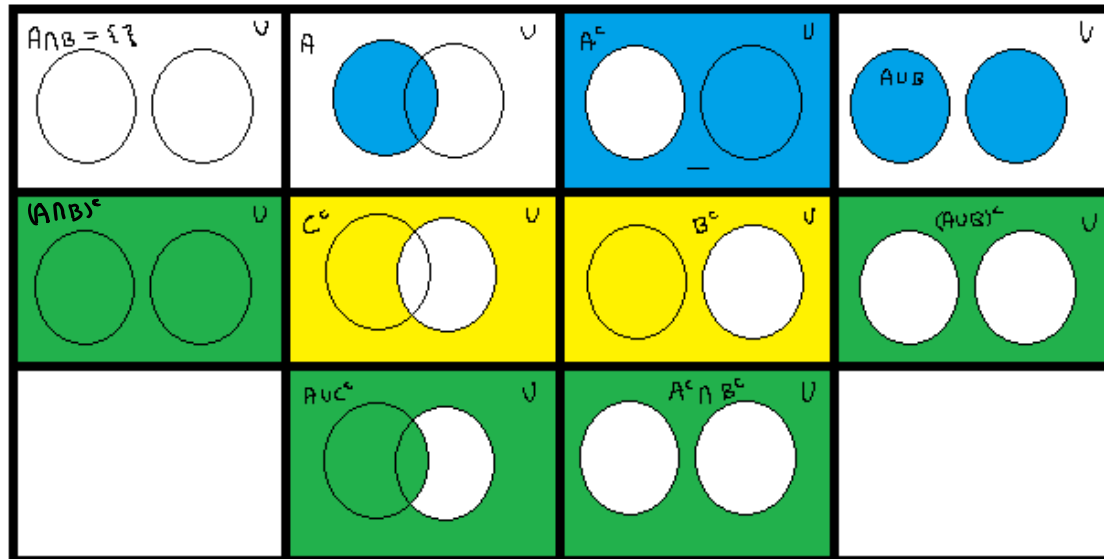


e) $(A \cap B)^c$

f) $A \cup C^c$

g) $A^c \cap B^c$

h) $(A \cup B)^c$



- page 9: 1. a { } {2} {4} {6} {2,4} {2,6} {4,6} {2,4,6} b There are 8 subsets of Q
2. A { } {3} {6} {9} {12} {3,6} {3,9} {6,9} {3,12} {6,12} {9,12} {3,6,9} {3,6,12}, {3,9,12}, {6,9,12} {3,6,9,12} b There are 16 subsets of T
3. A set it 3 elements has 8 subsets
 A set with 4 elements has 16 subsets.... Which is 8×2 ... if you look at a set of 2 elements you will see it has 4 subsets. Look for the pattern!
 If a set has q elements then it will have 2^q subsets.
 A set with 5 elements will have $2^5=32$ subsets.

Page 10: Exercise 1:

	<p>a) How many residents have both condition X and condition Y? 117</p> <p>b) How many residents have neither condition X, nor condition Y? $500 - 203 - 117 - 155 = 25$</p> <p>c) How many only have condition X? 203</p> <p>d) How many only have condition Y? 155</p>
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As contingency table:

	Y		
	yes	no	Total
X	yes	no	
	117	203	320
	155	25	180
Total	272	228	500

Exercise 2:

	<p>a) How many residents eat both hospital and home cooked food? 14</p> <p>b) How many residents eat neither hospital nor home cooked food? 5</p> <p>c) How eat only hospital food? 21</p> <p>d) How many only eat home cooked food? 8</p>
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